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(Mejdell)

PCA

PLS

(Kano) .[]

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(Brosilow)

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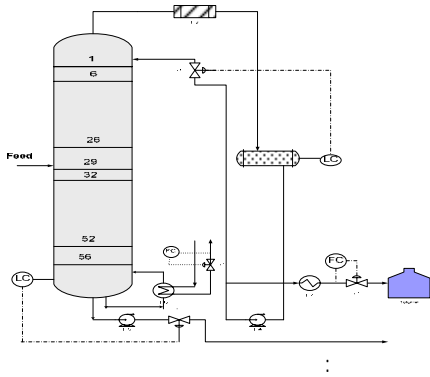
SVD

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(Ming) .[]

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(TE)



(Bahar) .[]

SVD

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(Gupta)

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|----------------------------|--------------------------|
| ۵۶ | تعداد سینی ها |
| m ^۳ .۵ | قطر داخلی سینی ها |
| m.۶۵ | فاصله بین سینی ها |
| Sieve | نوع سینی ها |
| ۳۹ | شماره سینی خوراک |
| kgmol/hr۶۹۸.۹ | نرخ خوراک |
| kg/cm ^۲ -g۳.۲۰۶ | فشار خوراک |
| C°۱۴۱ | دمای خوراک |
| | غلظت خوراک(درصد مولی) |
| ۰.۰۲۱۵ | بنزن |
| ۷۳.۹۱۸۹ | تولون |
| ۲۳.۰۹۴۶ | زایلن ها(اورتو-پارا-متا) |
| ۰.۸۲۳۸ | کیومن |
| ۱.۱۹۳۴۷ | بی فنیل |
| ۰.۲۰۷۵ | آروماتیک های سنگین |
| kg/cm ^۲ -g۰.۳۵ | فشار سینی بالای برج |
| kg/cm ^۲ -g۰.۹ | فشار سینی پایین برج |
| kgmol/hr۸۶۵ | نرخ جریان برگشتی |
| kgmol/hr۵۱۶.۹ | نرخ محصول بالای برج |
| Mj/hr۴۸.۹ | نرخ حرارت ریویولر |

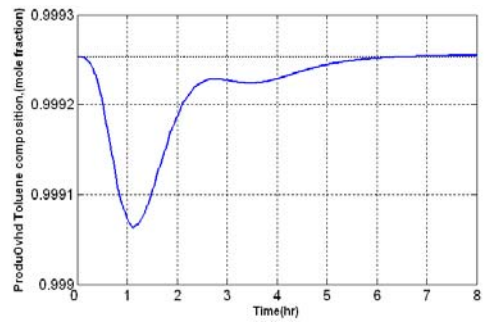
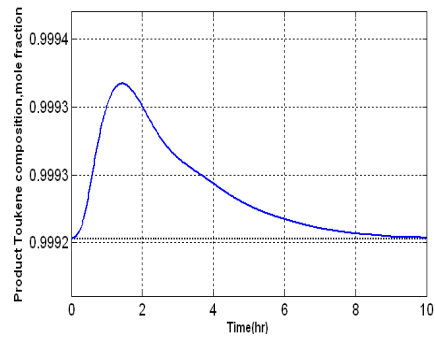
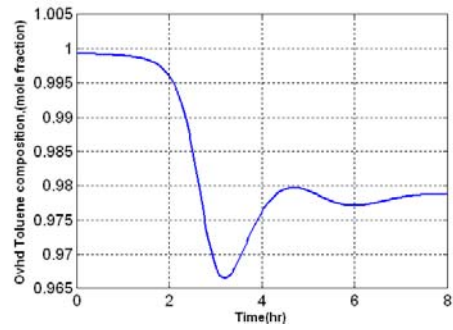
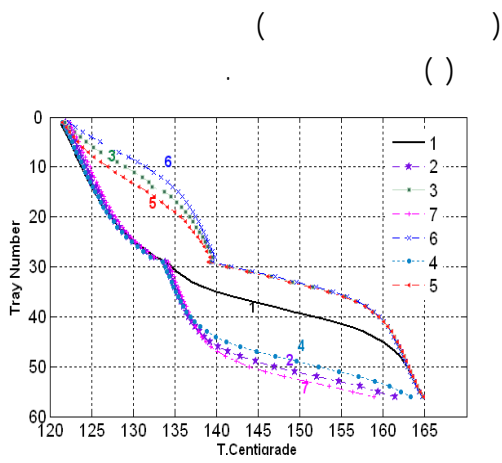
PI

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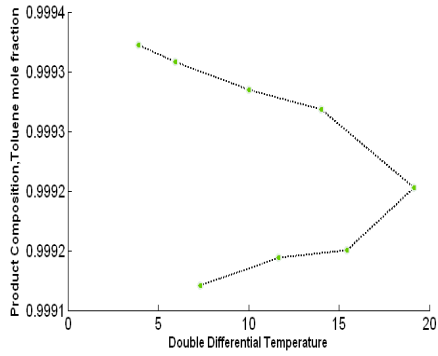
() () ()

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(Buckly) []

T_{AV} []

$$T_{AV} = \frac{(T_6 + T_{26} + T_{32} + T_{52})}{4} \quad ()$$



| Plot.No | Xyl.Ovh (ppm) | Tol.bott (ppm) |
|---------|---------------|----------------|
| 6 | 30007.21990 | 28.2728 |
| 3 | 15067.2771 | 34.1843 |
| 5 | 7450.7375 | 38.6204 |
| 1 | 185.4789 | 428.9372 |
| 7 | 69.5172 | 95701.4882 |
| 2 | 94.2302 | 52447.6701 |
| 4 | 111.9025 | 27897.4468 |

(Boyd)

sharp split

ppm

$$\Delta\Delta T = (T_{52} - T_{32}) - (T_{26} - T_6) \quad ()$$

T_{AV}

$\Delta\Delta T$

()

T_{AV}

T_{AV}

() ()

T_{AV}

$\Delta\Delta T$

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$\Delta\Delta T$

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$\Delta\Delta T$

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$\Delta\Delta T$

T_{AV}

T_{AV}

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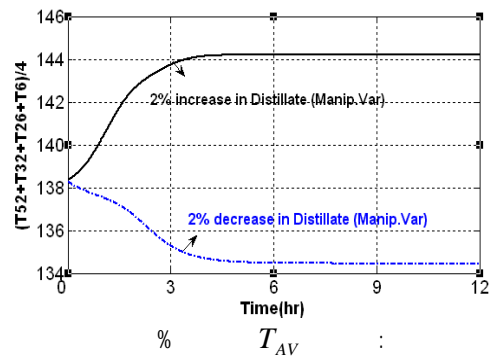
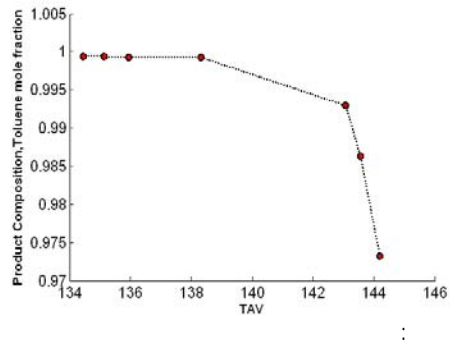
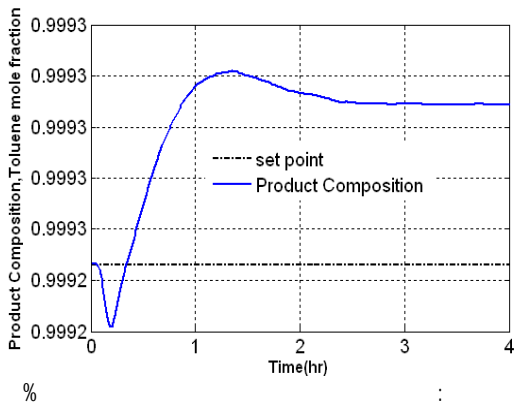
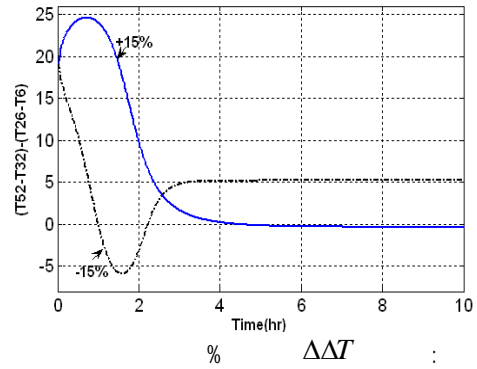
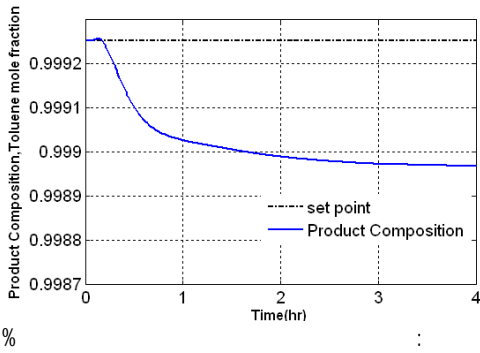
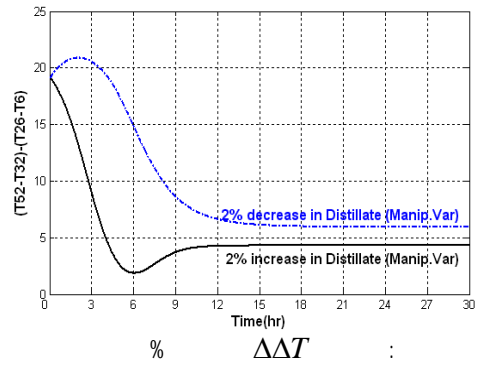
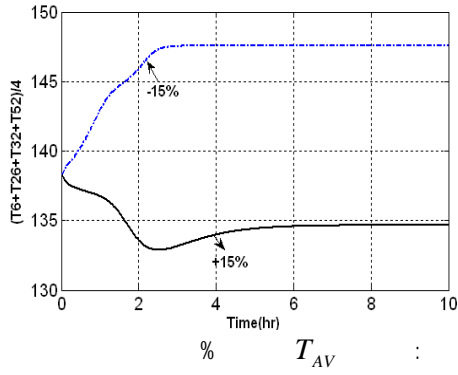
$\Delta\Delta T$

T_{AV}

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(Luyben)

sharp split



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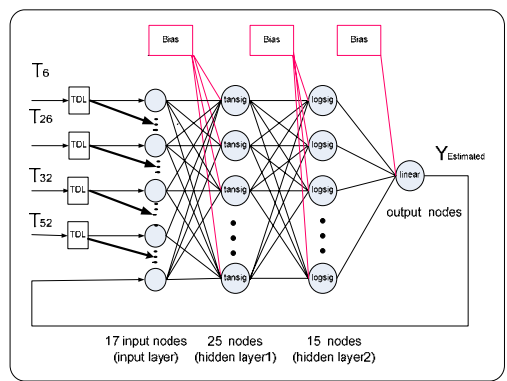
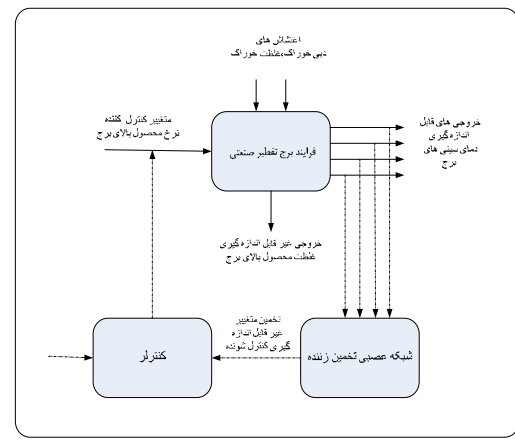
P

$$P_n = \frac{P - P_{\min}}{P_{\max} - P_{\min}}$$

()

P_{\max} P_{\min}

MLP



$$u_k = [T_i(k), T_i(k-n), T_i(k-2n), T_i(k-3n), y(k)] \quad ()$$

y T_i

() n .

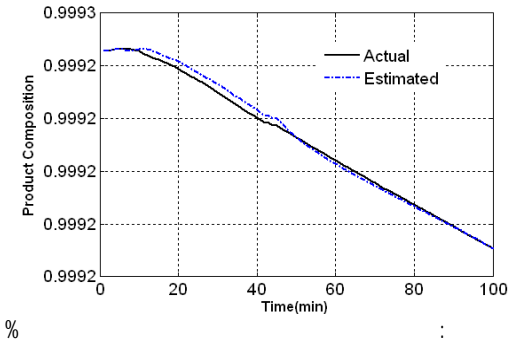
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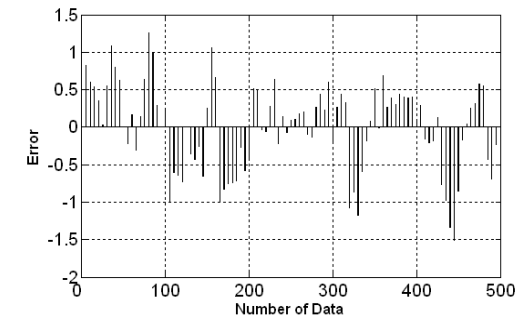
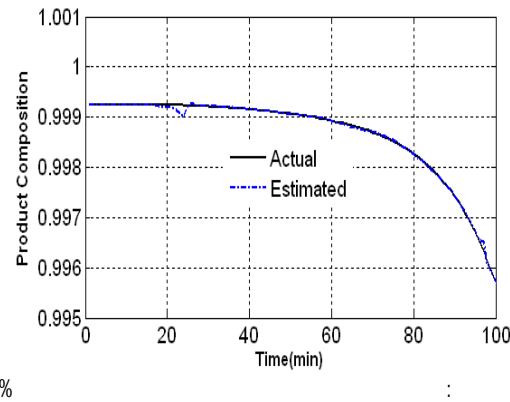
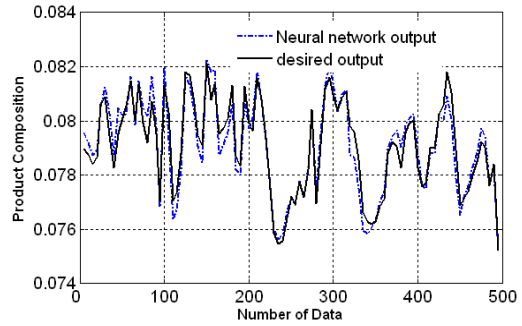
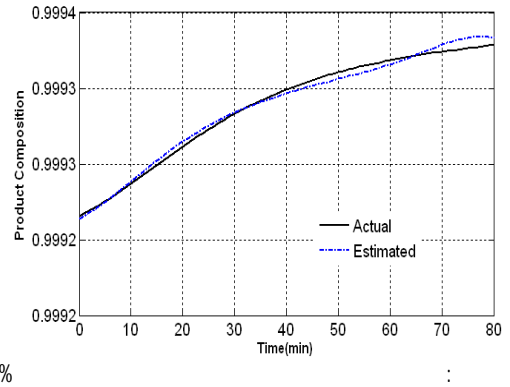
$$y_{\rightarrow k} = H\Delta u_{\rightarrow k-1} + P x_{\leftarrow k} \quad ()$$

() ()



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| | |
|--|---|
| $y_{\rightarrow k} = C_A^{-1} \left(C_{zb} \Delta u_{\rightarrow k-1} + H_{zb} \Delta u_{\leftarrow k-1} - H_A y_{\leftarrow k} \right) \quad ()$ | <p style="text-align: right;"><i>Toeplitz</i> <i>H</i></p> <p style="text-align: right;"><i>P</i> .</p> |
| : | |
| $y_{\rightarrow k} = H_{\rightarrow k-1} \Delta u_{\rightarrow k-1} + P_{\leftarrow k-1} \Delta u_{\leftarrow k-1} + Q_{\leftarrow k} y_{\leftarrow k} \quad ()$ | <p style="text-align: right;">: <i>ARMA</i></p> |
| $H = C_A^{-1} C_{zb}, P = C_A^{-1} H_{zb}, Q = -C_A^{-1} H_A$ $C_A^{-1} = C_{1/A}$ | $a(z) y_k = b(z) u_k \quad ()$ $A(z) = a(z) \Delta(z)$ |
| : | : |
| <i>GPC</i> | $A(z) y_k = b(z) \Delta u_k \quad ()$ <p style="text-align: right;"><i>B(z)</i> <i>A(z)</i></p> $b_o = 0$ |
| : | $A(z) = 1 + A_1 z^{-1} + A_2 z^{-2} + \dots + A_{n+1} z^{-n-1} \quad ()$ $b(z) = b_1 z^{-1} + b_2 z^{-2} + \dots + b_n z^{-n}$ |
| $J = \sum_{i=n_w}^{n_y} \ r_{k+i} - y_{k+i} \ _2^2 + \lambda \ \Delta u_{k+i} \ _2^2 \quad ()$ $= \sum_{i=n_w}^{n_y} \ e_{k+i} \ _2^2 + \lambda \ \Delta u_{k+i} \ _2^2$ | <p style="text-align: right;">:</p> $y_{k+1} = -A_1 y_k - \dots - A_{n+1} y_{k-n} + b_1 \Delta u_k + \dots + b_n \Delta u_{k-n+1} \quad ()$ |
| : | : |
| n_u | (|
| J | () |
| $\Delta \underline{u}$ | n_y Δu |
| [] | : |
|): | : |
| (k | () |
| $J = \ \underline{\mathbf{r}} - \underline{\mathbf{y}} \ _2^2 + \lambda \ \Delta \underline{\mathbf{u}} \ _2^2 \quad ()$ | $\begin{bmatrix} 1 & 0 & \dots & 0 \\ A_1 & 1 & \dots & 0 \\ A_2 & A_1 & \dots & 0 \\ \vdots & \vdots & \vdots & \vdots \end{bmatrix} \begin{bmatrix} y_{k+1} \\ y_{k+2} \\ \vdots \\ y_{k+n_y} \end{bmatrix} + \begin{bmatrix} A_1 & A_2 & \dots & A_{n+1} \\ A_2 & A_3 & \dots & 0 \\ A_3 & A_4 & \dots & 0 \\ \vdots & \vdots & \vdots & \vdots \end{bmatrix} \begin{bmatrix} y_k \\ y_{k-1} \\ \vdots \\ y_{k-n} \end{bmatrix} \quad ()$ |
| : | : |
| $J = \left\ \underline{\mathbf{r}} - H \Delta \underline{\mathbf{u}} + P \Delta \underline{\mathbf{u}} + Q \underline{\mathbf{y}} \right\ _2^2 + \lambda \ \Delta \underline{\mathbf{u}} \ _2^2 \quad ()$ | $= \begin{bmatrix} b_1 & 0 & \dots & 0 \\ b_2 & b_1 & \dots & 0 \\ b_3 & b_2 & \dots & 0 \\ \vdots & \vdots & \vdots & \vdots \end{bmatrix} \begin{bmatrix} \Delta u_k \\ \Delta u_{k+1} \\ \vdots \\ \Delta u_{k+n_y-1} \end{bmatrix} + \begin{bmatrix} b_2 & b_3 & \dots & b_n \\ b_3 & b_4 & \dots & 0 \\ b_4 & b_5 & \dots & 0 \\ \vdots & \vdots & \vdots & \vdots \end{bmatrix} \begin{bmatrix} \Delta u_{k-1} \\ \Delta u_{k-2} \\ \vdots \\ \Delta u_{k-n+1} \end{bmatrix} \quad ()$ |
| : | : |
| $\min_{\Delta \underline{\mathbf{u}}} J = \Delta \underline{\mathbf{u}}^T (H^T H + \lambda I) \Delta \underline{\mathbf{u}}$ | : |
| $+ 2 \Delta \underline{\mathbf{u}}^T H^T [P \Delta \underline{\mathbf{u}}^T - Q \underline{\mathbf{y}} - \underline{\mathbf{r}}] + k \quad ()$ | $C_A \begin{matrix} y_{\rightarrow k} \\ \vdots \end{matrix} + H_A \begin{matrix} y_{\leftarrow k} \\ \vdots \end{matrix} = C_{zb} \begin{matrix} \Delta u_{\rightarrow k-1} \\ \vdots \end{matrix} + H_{zb} \begin{matrix} \Delta u_{\leftarrow k-1} \\ \vdots \end{matrix} \quad ()$ |
| : | : |

$$\begin{aligned}
 & y(k) - 1.826y(k-1) + 0.9364y(k-2) \\
 & - 0.2216y(k-3) + 0.1119y(k-4) \\
 & = 3.495e - 6u(k-4) \\
 & \\
 & y(k) - 2.204y(k-1) + 1.19y(k-2) \\
 & + .2338y(k-3) - 0.2191y(k-4) \\
 & = 8.805e - 9u(k-4)
 \end{aligned}$$

$$k = \left\| \underline{\mathbf{r}} - P\Delta\underline{\mathbf{u}} - Q\underline{\mathbf{y}} \right\|$$

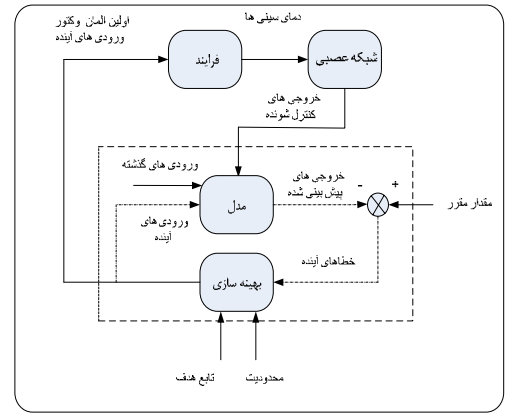
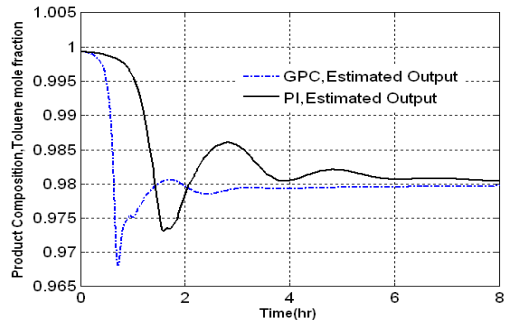
$$\Delta\underline{\mathbf{u}} = (H^T H + \lambda I)^{-1} H^T [\underline{\mathbf{r}} - P\underline{\mathbf{y}} - Q\Delta\underline{\mathbf{u}}]$$

[]

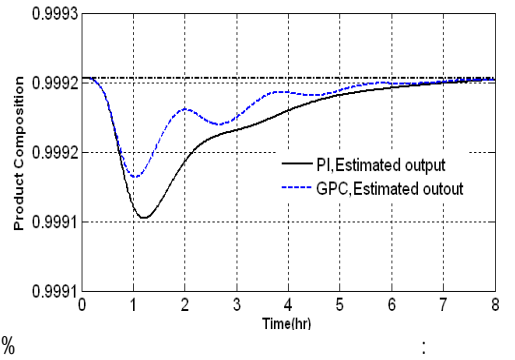
PI

ARMA

PI

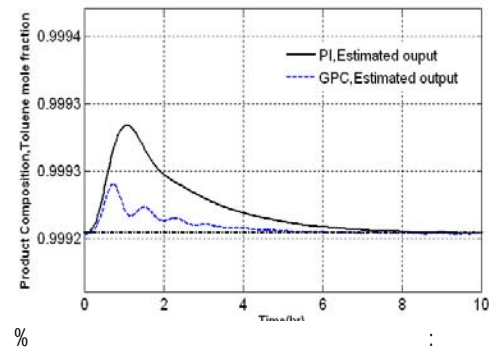
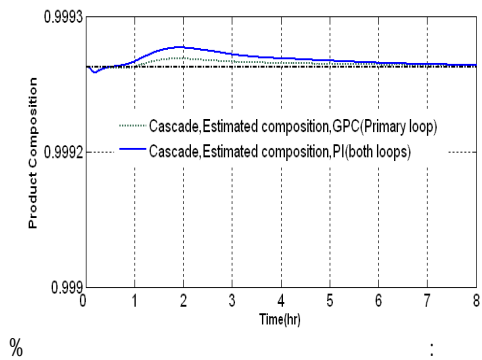


GPC



PRBS

ARMA MATLAB



(ISE)

| No | Algorithm | ISE (load1) | ISE (load2) |
|----|---|-----------------------|---------------------|
| 1 | Estimated Composition, PI | 5.02×10^{-7} | 12×10^{-7} |
| 2 | Estimated Composition, GPC | 5.54×10^{-8} | 54×10^{-8} |
| 3 | Cascade, Estimated Composition PI (both loops) | 1.85×10^{-8} | 15×10^{-8} |
| 4 | Cascade, Estimated Composition GPC (Primary loop) | 2.21×10^{-9} | 17×10^{-9} |

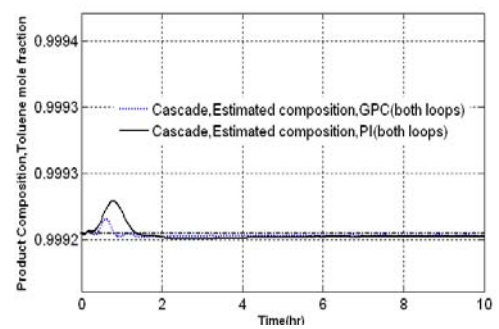
PI

(ISE) Integral Square of Error

PI

ISE

5.54×10^{-8}



شکل ۲۵: پاسخ مدار بسته غلظت محصول بالا به ازای ۱۵٪ کاهش غلظت تولوئن خوراک

- 1- Weber,Sh. and Brosilow,C. (1972). "The use of secondary measurements to improve control." *AICHE*. Vol.18, No.3, PP. 614-623.
- 2- Brosilow,C. and Joseph,B. (1978). "Inferential control of process, PartI, Steady State Analysis and Desighn." *AICHE*, Vol.24, PP.485-492.
- 3 Mejdell,T. and Skogestad,S. (1991). "Estimation of distillation compositions from multiple temperature Measurements using Partial least squares regression." *Ind. Eng.Chem.Res.*, Vol.30, PP. 2543-2555.
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- 9- Singah,V., Gupta,I. and Gupta,H. (2008). "ANN based estimator for distillation-inferential control." *Chemical Engineering and Processing4*,Vol.44, PP. 785-795.
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- 13-Clarke,D.W., Mohtadi, C. and Tuffs, P.S. (1987). "Generalized predictive control-partI." *The Basic Algorithm. Automatica*, Vol.23, 137.
- 14- Bulsari,A. (1995). *Neural Network for Chemical Engineers. Elsevier Science B.V.*
- 15- Rossiter, J. (2003). "A Model-Based Predictive Control:A Practical Approach.CRC Press.
- 16- Ljung L. (1987). System Identification: Theory for the User. Prentic-Hall.

-
- 1- Principal Component Analysis
 - 2- Partial Least Square
 - 3- Singular Value Decomposition
 - 4- Tenesse Eastman
 - 5- Auto Regressive Model Average
 - 6- Generalized Predictive Control
 - 7- Pseudo Random Binary Sequence